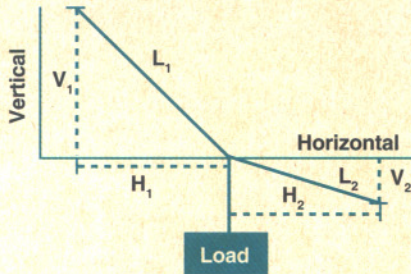


horizontal (H_2). Therefore:
Tension in bridle leg #1:

$$T_1 = \frac{(1,000)(36.1)(21)}{[(30)(21)] - [(10)(20)]} \approx 1,763 \text{ pounds}$$

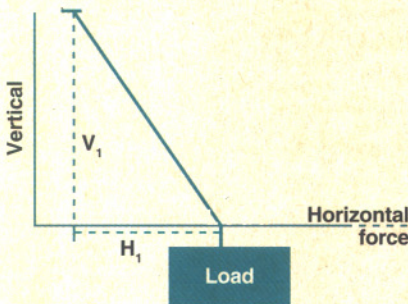
Tension in bridle leg #2:

$$T_2 = \frac{(1,000)(23.3)(20)}{[(30)(21)] - [(10)(20)]} \approx 1,083.7 \text{ pounds}$$



Horizontal force

$$\text{Horizontal force} = (H_1/V_1)L_{\text{load}}$$



Example

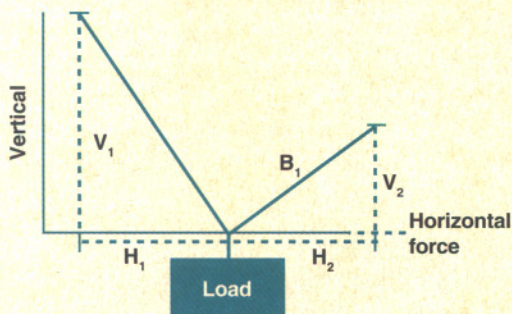
Find the horizontal force necessary to move a 1,000 pound load ($L_{\text{load}} = 1,000$ pounds) off-vertical by 10 feet. Leg #1 originates at 50 foot vertical (V_1) and terminates at 10 foot horizontal (H_1).

$$\text{Horizontal force} = (10/50)1,000 = 200 \text{ pounds}$$

Breastline force

$$\text{Breastline force} = (B_1/H_1)\text{Force}_{\text{horizontal}}$$

(See previous formula for $\text{Force}_{\text{horizontal}}$.)



Example

Find the breastline force necessary to move a 1,000 pound load ($L_{\text{load}} = 1,000$ pounds) off-vertical by 10 feet. Leg #1 originates at 50 foot vertical (V_1) and terminates at 10 foot horizontal (H_1). Breastline #1 originates at 30 foot vertical (V_2) and terminates at 20 foot horizontal (H_2).

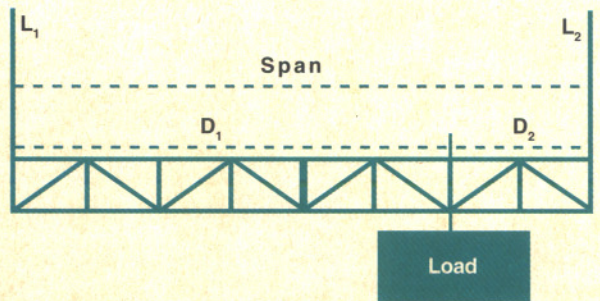
$$\text{Breastline force} = (36.1/20)200 = 362 \text{ pounds}$$

This breastline force is perpendicular to the load, making it a horizontal force.

Simple load distribution

$$\text{Force}_{\text{Leg1}} = (D_2/\text{Span})L_{\text{load}}$$

$$\text{Force}_{\text{Leg2}} = (D_1/\text{Span})L_{\text{load}}$$



Example

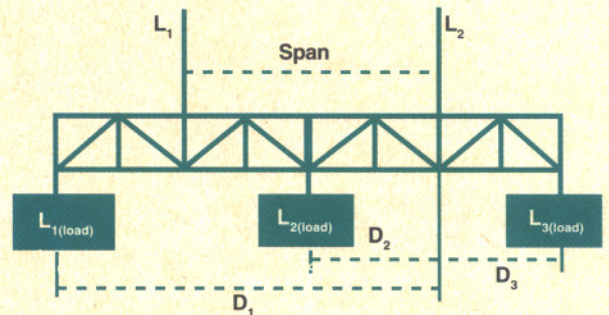
A two-legged vertical deadhang of a truss has a 1,000 pound load ($L_{\text{load}} = 1,000$ pounds). The load is located 15 feet (D_1) from the left suspension leg and 5 feet (D_2) from the right suspension leg. The total span between the suspension legs is 20 feet (Span). Therefore:

$$\text{Force}_{\text{Leg1}} = (5/20)1,000 = 250 \text{ pounds}$$

$$\text{Force}_{\text{Leg2}} = (15/20)1,000 = 750 \text{ pounds}$$

Complex load distribution

$$\text{Force}_{\text{leg1}} = \frac{[(L_{1(\text{load})})(D_1)] + [(L_{2(\text{load})})(D_2)] - [(L_{3(\text{load})})(D_3)]}{\text{Span}}$$



Example

A two-legged vertical deadhang of a truss has three 1,000 pound loads ($L_{x(\text{Load})} = 1,000$ pounds). Load #1 is on the left edge; load 2 is in the center; load 3 is 20 feet from the left edge. The total span of the truss is 20 feet; the total span between the suspension legs is 10 feet (Span). Therefore, $D_1 = 15$ feet, $D_2 = 5$ feet and $D_3 = 5$ feet.

$$\text{Force}_{\text{leg1}} = \frac{[(1,000)(15)] + [(1,000)(5)] - [(1,000)(5)]}{10}$$

$$\text{Force}_{\text{leg1}} = 1,500 \text{ pounds}$$

Load stability

$$\text{Force}_{\text{Leg1}} = (D_2/\text{Span})L_{\text{load}}$$

$$\text{Force}_{\text{Leg2}} = (D_1/\text{Span})L_{\text{load}}$$

Example

For a two-legged vertical deadhang of a loudspeaker weighing 250 pounds ($L_{\text{load}} = 250$ pounds), leg #1 is 6 inches (D_1) behind the center of gravity, and leg #2 is 14 inches (D_2) in front of the center of gravity. Therefore:

$$\text{Force}_{\text{Leg1}} = (14/20)250$$

$$\text{Force}_{\text{Leg1}} = 175 \text{ pounds}$$

$$\text{Force}_{\text{Leg2}} = (6/20)250$$

$$\text{Force}_{\text{Leg2}} = 75 \text{ pounds S\&VC}$$

